



**SIDDARTHA INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR
(AUTONOMOUS)**

Siddharth Nagar, Narayanavanam Road – 517583

QUESTION BANK (DESCRIPTIVE)

Subject with Code: Design and Analysis of Algorithms (19CS0519)
Year & Sem : III B.Tech& I-Sem

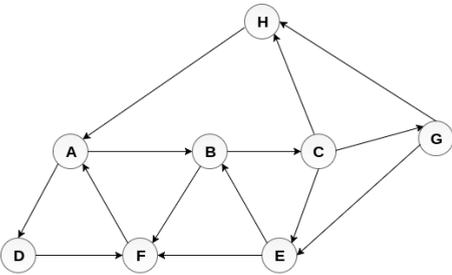
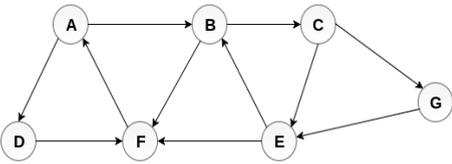
Course & Branch: B.Tech - CSE
Regulation: R19

**UNIT –I
INTRODUCTION, DISJOINT SETS**

1	a	What is asymptotic notation? Explain different types of notations with examples?	[L2][CO1]	[6M]
	b	Illustrate an algorithm for (i) Finding factorial of n number (ii) Sum of n natural numbers	[L2][CO1]	[4M]
2		Simplify steps involved in performance analysis with example.	[L2][CO1]	[12M]
3	a	What do you mean by algorithm? List some of the properties of it?	[L1][CO1]	[6M]
	b	Apply the Master's theorem. Solve the following Recurrence relations i) $T(n) = 4T(n/2) + n$ ii) $T(n) = 2T(n/2) + n \log n$	[L3][CO1]	[6M]
4	a	Classify the rules of Pseudo code for Expressing Algorithms?	[L2][CO1]	[8M]
	b	Solve the given function -If $f(n) = 5n^2 + 6n + 4$ then prove that $f(n)$ is $O(n^2)$.	[L3][CO1]	[4M]
5	a	Explain the collapsing rule for Find algorithm with example.	[L6][CO1]	[6M]
	b	Solve the following Recurrence relation i) $T(n) = 4T(n/3) + n^2$ ii) $T(n) = 6T(n/3) + n^2 \log n$	[L3][CO1]	[6M]
6		Estimate the recurrence relations: i) $x(n) = x(n-1) + 5$ for $n > 1$, $x(1) = 0$ ii) $x(n) = 3x(n-1)$ for $n > 1$, $x(1) = 4$ iii) $x(n) = x(n/2) + n$ for $n > 1$, $x(1) = 1$ (solve for $n = 2^k$) iv) $x(n) = x(n/3) + 1$ for $n > 1$, $x(1) = 1$ (solve for $n = 3^k$)	[L6][CO1]	[12M]
7	a	Determine in steps of Union and Find algorithms with example.	[L5][CO1]	[6M]
	b	Explain space complexity in detail.	[L2][CO1]	[6M]
8	a	Define disjoint sets? Explain different types of disjoint sets operations with examples?	[L2][CO1]	[7M]
	b	Solve the following recurrence: i) $T(n) = 7T(n/3) + n^2$ ii) $T(n) = 3T(n/2) + n$	[L3][CO1]	[5M]
9		Explain two types of recurrences in detail with suitable example.	[L6][CO1]	[12M]
10		Demonstrate Towers of Hanoi with algorithm and example.	[L3][CO1]	[12M]

**UNIT –II
BASIC TRAVERSAL AND SEARCH TECHNIQUES, DIVIDE AND CONQUER**

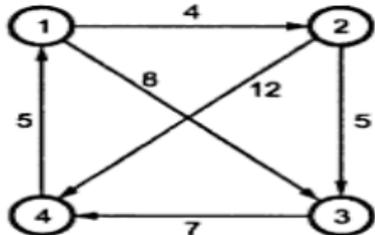
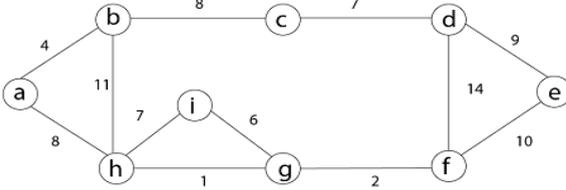
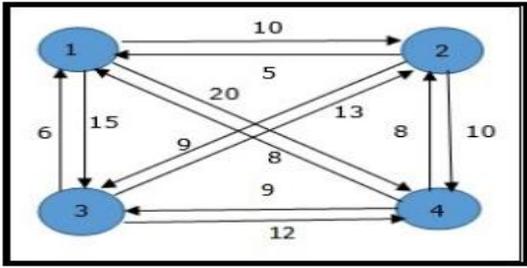
1	What is divide and conquer strategy? Explain the working strategy of Binary Search and find element 60 from the below set by using the above technique: {10, 20, 30, 40, 50, 60, and 70}. Analyze time complexity for binary search.	[L2][CO2]	[12M]
2	Analyze the working strategy of merge sort and illustrate the process of merge sort algorithm for the given data: 43, 32, 22, 78, 63, 57, 91 and 13.	[L4][CO2]	[12M]

3	$A = \begin{bmatrix} 9 & 4 & 6 & 7 \\ 7 & 8 & 1 & 4 \\ 4 & 3 & 2 & 6 \\ 5 & 3 & 0 & 2 \end{bmatrix} \quad B = \begin{bmatrix} 7 & 6 & 2 & 1 \\ 3 & 9 & 0 & 3 \\ 2 & 5 & 2 & 9 \\ 3 & 2 & 4 & 7 \end{bmatrix}$ Create Strassen's matrix multiplication on A and B find the Resultant matrix	[L6][CO2]	[12M]
4	a) Sort the records with the following index values in the ascending order using quick sort algorithm. 9, 7, 5, 11, 12, 2, 14, 3, 10, 6. b) Write and explain the control abstraction for Divide and conquer.	[L2][CO2]	[6M]
5	Explain the Strassen's algorithm for matrix multiplication and analyze time complexity.	[L5][CO2]	[12M]
6	Explain DFS algorithm and trace out minimum path for DFS for the following example. <div style="text-align: center;">  </div>	[L5][CO2]	[12M]
7	Summarize an algorithm for quick sort. Provide a complete analysis of quick sort for given set of numbers 12, 33, 23, 43, 44, 55, 64, 77 and 76.	[L2][CO2]	[12M]
8	Elaborate BFS algorithm and trace out minimum path for BFS for the following example. <div style="text-align: center;">  </div>	[L6][CO2]	[12M]
9	a) Compare between BFS and DFS techniques. b) Solve an algorithm for techniques of binary trees with examples.	[L4][CO2]	[5M]
10	Describe Binary search algorithm with the following example 5, 9, 17, 23, 25, 45, 59, 63, 71, 89	[L2][CO2]	[12M]

UNIT –III

GREEDY METHOD, DYNAMIC PROGRAMMING

1	Construct an optimal solution for Knapsack problem, where n=7,M=15 and (p1,p2,p3,p4,p5,p6,p7)=(10,5,15,7,6,18,3) and (w1,w2,w3,w4,w5,w6,w7)=(2,3,5,7,1,4,1) by using Greedy strategy.	[L3][CO3]	[12M]																					
2	Explain any one application of greedy method with an example?	[L2][CO3]	[12M]																					
3	Elaborate job sequencing with deadlines by using greedy method where given the jobs, their deadlines and associated profits as shown below. Calculate maximum earned profit. <table border="1" data-bbox="347 1912 1046 2101" style="margin: 10px auto;"> <thead> <tr> <th>Jobs</th> <th>J1</th> <th>J2</th> <th>J3</th> <th>J4</th> <th>J5</th> <th>J6</th> </tr> </thead> <tbody> <tr> <td>Deadlines</td> <td>5</td> <td>3</td> <td>3</td> <td>2</td> <td>4</td> <td>2</td> </tr> <tr> <td>Profits</td> <td>200</td> <td>180</td> <td>190</td> <td>300</td> <td>120</td> <td>100</td> </tr> </tbody> </table>	Jobs	J1	J2	J3	J4	J5	J6	Deadlines	5	3	3	2	4	2	Profits	200	180	190	300	120	100	[L6][CO3]	[12M]
Jobs	J1	J2	J3	J4	J5	J6																		
Deadlines	5	3	3	2	4	2																		
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4	a) Explain in detail about greedy method and its applications. b) Simplify the algorithm for Knapsack problem and analyze time complexity.	[L2][CO3]	[6M]																					

5	<p>Construct an algorithm for All pairs of shortest path and calculate shortest path between all pairs of vertices by using dynamic programming method for the following graph.</p> 	[L6][CO3]	[12M]
6	<p>Apply the minimum spanning tree of the following graph using Kruskals algorithm and prims algorithm .</p> 	[L3][CO3]	[12M]
7	<p>Explain 0/1 knapsack problem by using dynamic programming with an examples.</p>	[L2][CO3]	[12M]
8	<p>Analyze the minimum cost tour forgiven problem using travelling sales person Concepts.</p> 	[L4][CO3]	[12M]
9	<p>Build any one application of dynamic programming with an example.</p>	[L6][CO1]	[12M]
10	<p>Discuss Optimal binary search tree with an example?</p>	[L2][CO3]	[12M]

UNIT –IV
BACKTRACKING,BRANCH AND BOUND

1	Explain sum of subsets by using backtracking with an example.	[L5][CO4]	[12M]
2	Discuss the Hamiltonian cycle algorithm with step by step operation with example.	[L6][CO4]	[12M]
3	a Explain the principles of FIFO branch and bound.	[L2][CO4]	[6M]
	b Recall the graph coloring. Explain in detail graph coloring with an example.	[L5][CO4]	[6M]
4	a Explain the properties of LC-search.	[L2][CO4]	[6M]
	b Give brief description about the general method of branch and bound.	[L2][CO4]	[6M]
5	Select any one application of backtracking with an example.	[L3][CO4]	[12M]
6	Construct the LC branch and bound search. Consider knapsack instance n=4 with capacity M=15 such that $p_i = \{10, 10, 12, 18\}$, $w_i = \{2, 4, 6, 9\}$ apply LC branch and bound technique.	[L6][CO4]	[12M]
7	Simplify 0/1 knapsack problem and design an algorithm of LC Branch and Bound and find the solution for the knapsack instance of $n = 4, (p_1, p_2, p_3, p_4) = (10, 10, 12, 18)$, $(w_1, w_2, w_3, w_4) = (2, 4, 6, 9)$ and $M = 15$.	[L4][CO4]	[12M]
8	Evaluate 0/1 knapsack problem using branch and bound with an example.	[L5][CO4]	[12M]
9	Distinguish in detail 8-queens problem using back tracking with state space tree.	[L4][CO4]	[12M]
10	Implement any one branch and bound application with an example.	[L3][CO4]	[12M]

UNIT –V
NP-HARD AND NP-COMPLETE PROBLEMS

1	Construct the non-deterministic algorithms with example.	[L3][CO5]	[12M]
2	Distinguish between deterministic and non-deterministic algorithms.	[L4][CO5]	[12M]
3	Construct the non-deterministic sorting algorithm and also analyze its complexity.	[L6][CO5]	[12M]
4	Explain the class of P and NP with example?	[L2][CO5]	[12M]
5	Differentiate between NP- complete and NP-hard problems?	[L4][CO5]	[12M]
6	State and explain cook's theorem?	[L2][CO5]	[12M]
7	Estimate the strategy to prove that a problem steps of NP-hard.	[L6][CO5]	[12M]
8	Illustrate the satisfiability problem and write the algorithm.	[L2][CO5]	[12M]
9	Determine the classes NP-hard and NP-complete problem with example.	[L5][CO5]	[12M]
10	With example explain Reduction source problem.	[L4][CO5]	[12M]

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